

Center Activity Answer Key

Activity 5.17

Division with Area Models

★ Check Understanding

14

Recording Sheet

Toss 1: $726 \div 11 = 66$

Toss 2: $264 \div 22 = 12$

Toss 3: $575 \div 25 = 23$

Toss 4: $510 \div 15 = 34$

Toss 5: $495 \div 11 = 45$

Toss 6: $696 \div 12 = 58$

★★ Check Understanding

53

Recording Sheet

Toss 1: $168 \div 14 = 12$

Toss 2: $575 \div 25 = 23$

Toss 3: $952 \div 28 = 34$

Toss 4: $792 \div 12 = 66$

Toss 5: $825 \div 15 = 55$

Toss 6: $768 \div 16 = 48$

★★★ Check Understanding

53

Recording Sheet

Toss 1: $952 \div 28 = 34$

Toss 2: $986 \div 17 = 58$

Toss 3: $792 \div 12 = 66$

Toss 4: $855 \div 19 = 45$

Toss 5: $5,040 \div 420 = 12$

Toss 6: $5,175 \div 225 = 23$

Center Activity Answer Key

Activity 5.18

Solve Area Problems with Division

★ Check Understanding

30 units

Recording Sheet

All rectangles should reflect the given and calculated side lengths.

Area: 375 square units, Side: 15 units; **25** units;

$$375 \div 15 = 25$$

Area: 2,000 square units, Side: 40 units; **50** units;

$$2,000 \div 40 = 50$$

Area: 1,050 square units, Side: 30 units; **35** units;

$$1,050 \div 30 = 35$$

Area: 1,100 square units, Side: 55 units; **20** units;

$$1,100 \div 55 = 20$$

★★ Check Understanding

45 units

Recording Sheet

All rectangles should reflect the given and calculated side lengths.

Area: 1,375 square units, Side: 25 units; **55** units;

$$1,375 \div 25 = 55$$

Area: 1,400 square units, Side: 40 units; **35** units;

$$1,400 \div 40 = 35$$

Area: 675 square units, Side: 15 units; **45** units;

$$675 \div 15 = 45$$

Area: 3,000 square units, Side: 60 units; **50** units;

$$3,000 \div 60 = 50$$

★★★ Check Understanding

72 units

Recording Sheet

All rectangles should reflect the given and calculated side lengths.

Area: 2,340 square units, Side: 45 units; **52** units;

$$2,340 \div 45 = 52 \text{ or } 45 \times 52 = 2,340$$

Area: 1,520 square units, Side: 40 units; **38** units;

$$1,520 \div 40 = 38 \text{ or } 40 \times 38 = 1,520$$

Area: square units 630, Side: 15 units; **42** units;

$$630 \div 15 = 42 \text{ or } 15 \times 42 = 630$$

Area: 1,080 square units, Side: 60 units; **18** units;

$$1,080 \div 60 = 18 \text{ or } 60 \times 18 = 1,080$$

Center Activity Answer Key

Activity 5.9

Powers of Ten Vocabulary Match

★ Check Understanding

10^3 ; Sample answer: The given expression says to multiply 10 by itself three times. In 10^3 , the *exponent* 3 tells me to multiply the *factor* 10 by itself three times.

Recording Sheet

exponent—the number in a power that tells how many times to use the base as a factor

inverse—the opposite of something

power of 10—a number that can be written as a product of tens

decimal number—a number written in base ten

division—an operation used to find the number in each group or the number of groups in equal-sized groups

expression—a group of numbers and symbols that shows a mathematical relationship

multiplication—an operation used to find the total number of items in equal-sized groups

base ten—a ten-digit number system that uses place value to record numbers

place value—the value of a digit that depends on the digit's position in a number (ones, tens, hundreds, and so on)

factor—a number that is multiplied by another number

★★ Check Understanding

10^3 ; Sample answer: The *expression* says to multiply the *factor* 10 three times: $10 \times 10 \times 10 = 1,000$. This number is a power of 10. I can write it using base ten and the *exponent* 3.

Recording Sheet

exponent—the number in a power that tells how many times to use the base as a factor

inverse—the opposite of something

power of 10—a number that can be written as a product of tens

decimal number—a number written in base ten

division—an operation used to find the number in each group or the number of groups in equal-sized groups

expression—a group of numbers and symbols that shows a mathematical relationship

multiplication—an operation used to find the total number of items in equal-sized groups

base ten—a ten-digit number system that uses place value to record numbers

place value—the value of a digit that depends on the digit's position in a number (ones, tens, hundreds, and so on)

factor—a number that is multiplied by another number

★★★ Check Understanding

80,000; Sample answer: In this *multiplication* expression, 8 is multiplied by 10^4 , a *power of 10*. The *exponent* 4 tells the number of zeros to place to the right of the digit 8. The *place value* of the 8 changes from 8 ones to 8 ten thousands.

Recording Sheet

exponent—the number in a power that tells how many times to use the base as a factor

inverse—the opposite of something

power of 10—a number that can be written as a product of tens

decimal number—a number written in base ten

division—an operation used to find the number in each group or the number of groups in equal-sized groups

expression—a group of numbers and symbols that shows a mathematical relationship

multiplication—an operation used to find the total number of items in equal-sized groups

base ten—a ten-digit number system that uses place value to record numbers

place value—the value of a digit that depends on the digit's position in a number (ones, tens, hundreds, and so on)

factor—a number that is multiplied by another number

Center Activity Answer Key

Activity 5.10

Patterns of Zeros

★ Check Understanding

9×100 has two zeros in the product; $50,000 \div 10^3$ has 1 zero in the quotient. Sample explanation: There are 2 zeros in 100. I add 2 zeros to the end of the 9 to get 900. When I divide by 10^3 , or 1,000, there will be 3 fewer zeros in the quotient, so 50,000 becomes 50.

Game Board

Toss 1: $3 \times 10 \times 10$; 50×10^1

Toss 2: 60×10^2 ; 4×10^3

Toss 3: $0.4 \div 100$; $0.7 \div 100$

Toss 4: $2,000 \div 1,000$; $900 \div 10^3$; 0.002×100

Toss 5: $0.4 \div 100$; $0.7 \div 100$; $8,000 \div 10^2$; $7,000 \div 10^2$

Toss 6: $3 \times 10 \times 10$; 60×10^2 ; 0.3×100

★★ Check Understanding

9×100 has two zeros in the product; $50,000 \div 10^3$ has 1 zero in the quotient. Sample explanation: When I multiply by 10^2 , or 100, I add 2 zeros to the end of the number. Since 9 has no zeros, it becomes 900. When I divide by 10^3 , or 1,000, there will be 3 fewer zeros in the quotient, so 50,000 becomes 50.

Game Board

Toss 1: 50×10 ; $0.06 \times 10,000$

Toss 2: 3×10^3 ; $4 \times 10 \times 10 \times 10$; $7 \times 1,000$

Toss 3: $0.3 \times 10 \times 10$; 0.002×100 ; 0.06×10^2

Toss 4: $8,000 \div 10$; $0.5 \div 10^2$; $3 \div 10^3$

Toss 5: $0.5 \div 10^2$; $0.4 \div 10 \times 10$

Toss 6: $70 \div 100$; $2,000 \div 10^3$; $0.005 \times 10 \times 10 \times 10$

★★★ Check Understanding

2, Sample explanation: When I multiply a whole number by 10^2 , the exponent 2 tells me to add 2 zeros to the end of the number, so 9 becomes 900.

To divide 0.5 by 10^3 , move the decimal point 3 places to the left. Move to the left because division decreases the value. Move three places because the exponent is 3.

Game Board

Card 1: 50×10^1 ; $6 \times 10 \times 10$; $0.3 \times 10 \times 10 \times 10$

Card 2: 7×10^3 ; 60×10^2

Card 3: $0.9 \div 10^2$; $2 \div 10 \times 10 \times 10$; $80,000 \div 100$

Card 4: $3,000,000 \div 10^3$; $40,000,000 \div 10^4$; $0.07 \div 10 \times 10$

Card 5: 0.03×10^2 ; $0.005 \times 10 \times 10$; $6 \times 10 \times 10$; 60×10^2

Card 6: $0.9 \div 10^2$; $0.07 \div 10 \times 10$; $4 \div 100$; $80,000 \div 100$; $7,000 \div 100$

Card 7: $0.3 \times 10 \times 10 \times 10$; 7×10^3 ; 0.008×10^3

Card 8: $2 \div 10 \times 10 \times 10$; $9,000 \div 10 \times 10 \times 10$

Card 9: $20 \div 10^1$; $0.005 \times 10 \times 10$; $9,000 \div 10 \times 10 \times 10$; 0.008×10^3 ; 0.03×10^2